

Marca Regist. "DE LUXE" Ind. Brasileira - Proc. Pat. 29.839

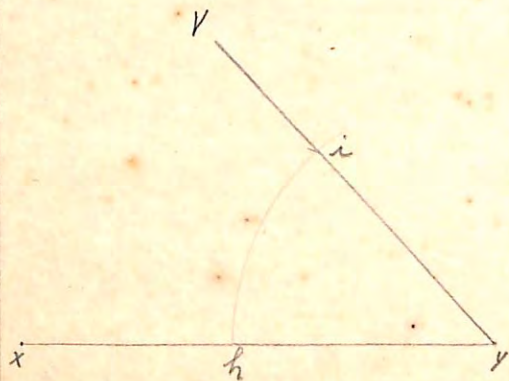
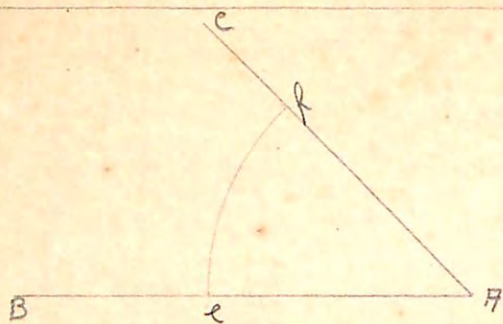
8,5

Nelson Young N^o 38

III Serie

No. 7 — DESENHO

COLORIDO Patente 39.445 - Direitos Aut. Reserv. todas côres



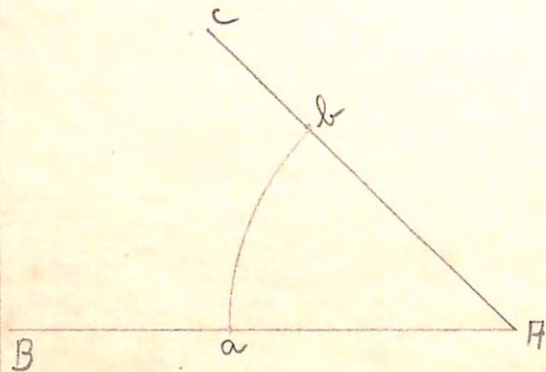
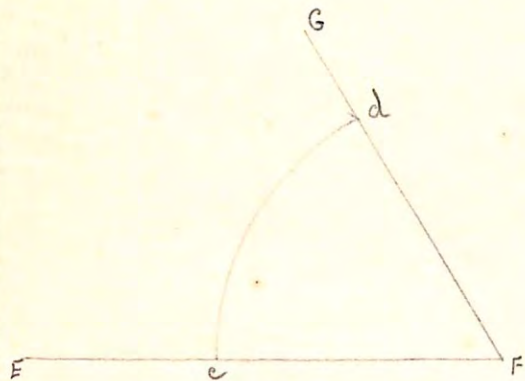
Construir um ângulo igual a outro dado, utilizando-se o compasso.

Traçam-se a reta XY . Com uma abertura arbitrária do compasso, faz-se centro em A e traçam-se o arco e, f que corta BA e AC , com a mesma abertura faz-se centro em X e traçam-se o arco h, i , toma a distância da corda e, f e transporta-se para h, i . Unindo-se X a i resolve-se o problema

8-3-60

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FIG 1



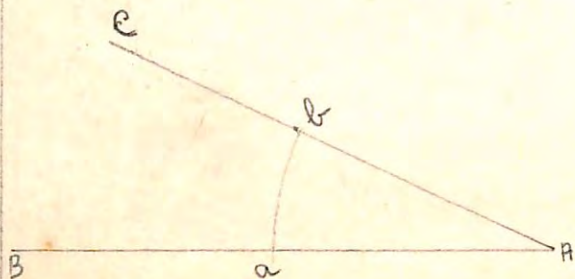
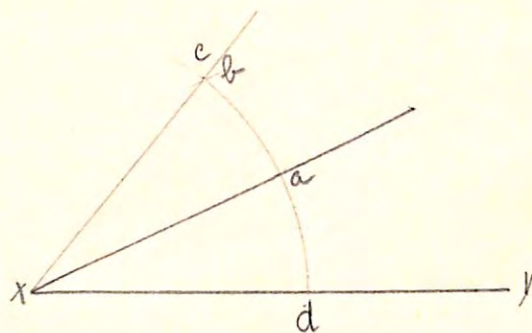
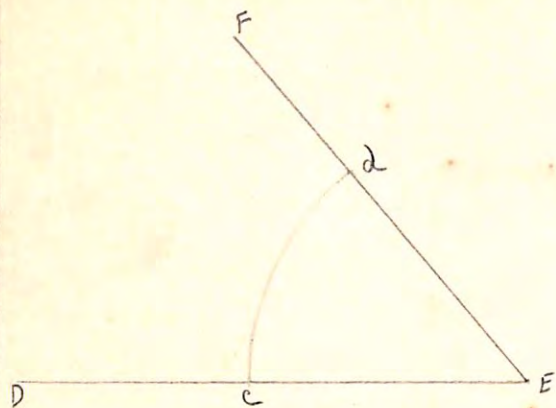
Construir um ângulo igual a soma de dois ângulos dados, utilizando-se o compasso. São dados os ângulos B, A, C e E, F, G.

Traça-se a reta XY. Com uma abertura qualquer do compasso, faz-se centro em F e F traçando-se os arcos a, b e c, d. Com a mesma abertura faz-se centro em X e traça-se o arco e, b. Tomando-se a abertura c, d e a, b, marque-se em c, b, unindo-se Xa b resolve-se o problema.

8-3-60

FIG 2

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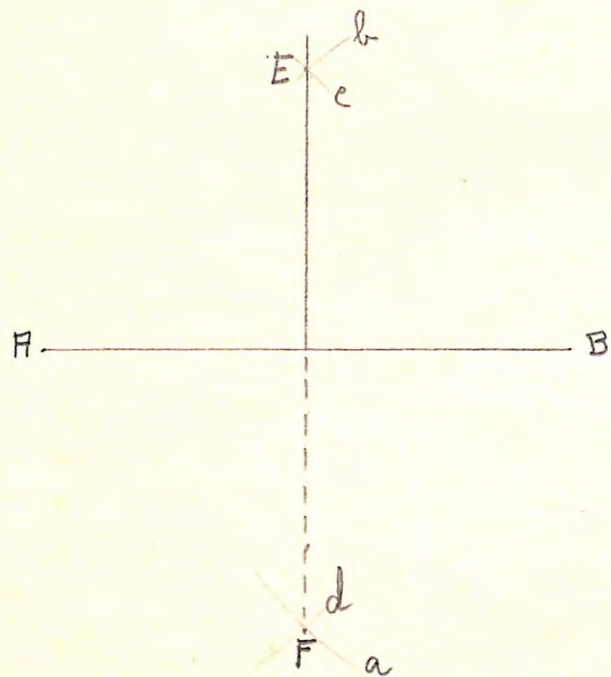
Construir um ângulo igual a diferença de dois ângulos dados.

- 1) Trace-se um segmento XY
- 2) De um ponto qualquer O sobre este segmento, trace-se um arco com raio arbitrário
- 3) A partir dos vértices H e E dos ângulos dados, traçam-se arcos como mesmo raio
- 4) A partir de c , transporte-se a corda c, d .
- 5) A partir de c marque-se a, b igual a corda do outro ângulo dado.
- 6) Ligue-se a a O que resolve o problema

16-3-60

Prof.

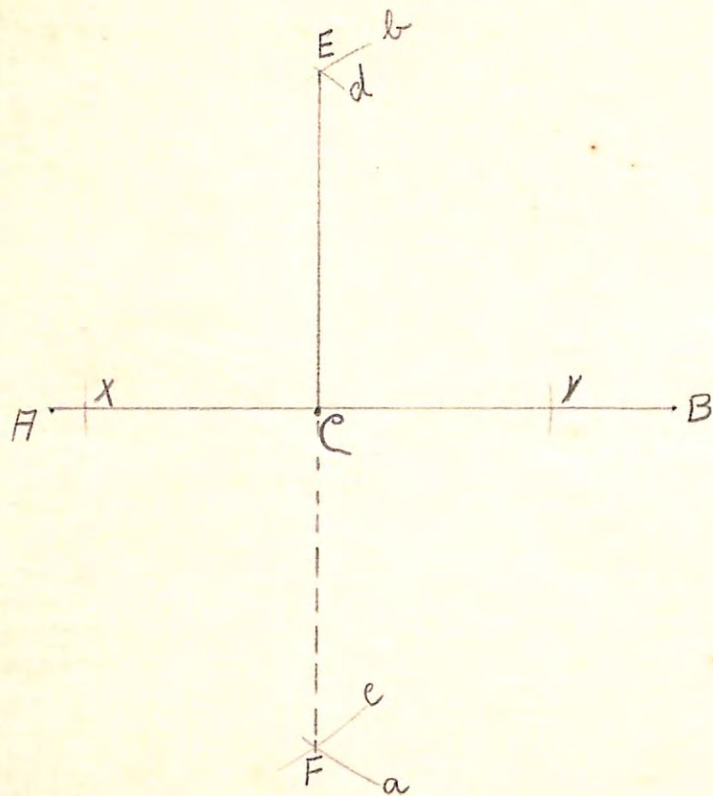
FIG 3



Traçar uma perpendicular
 ao meio de uma reta.
 É dada a reta A, B , com o com-
 passo fazendo o centro em A e
 depois em B , com um raio
 maior do que a metade de
 A, B , traça-se os arcos $a, b, c,$
 d que se cortam em E e F
 que resolvem o problema FIG 4

16-3-60

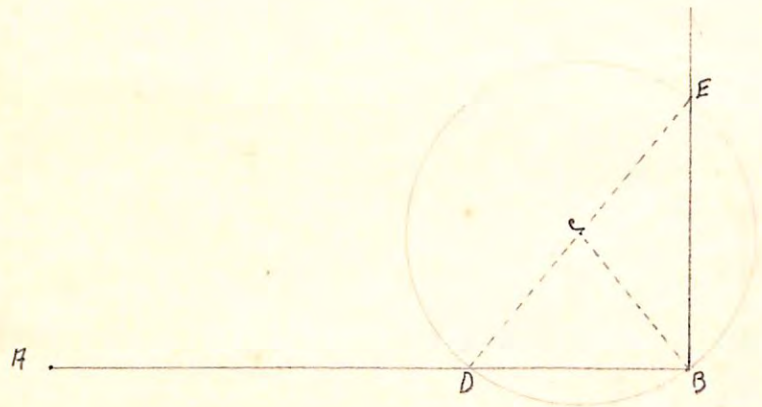
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Levantar uma perpendicular de um
 ponto qualquer (C) sobre o seg-
 mento AB. Fazendo-se centro em C
 marque-se XY. Com um raio maior
 do que XC trace-se os arcos
 a, b, c e d, que se cortam em E e
 F. Trace-se a reta E.C que resol-
 ve o problema.

16-3-60

 FIG 5

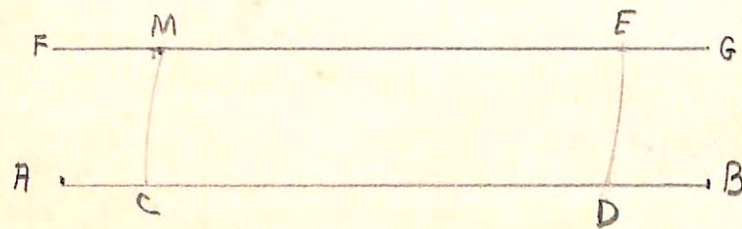


LEVANTAR UMA PERPENDICULAR
AO EXTREMO DE UM SEGMENTO
AB.

É dada a reta AB, mar-
que-se um ponto qualquer
C. Centra-se o compasso e
com o raio CB traça-se
a circunferência que cortará
a reta AB em D, traçando-se
o diâmetro DE determina-se
o ponto E. Ligando-se E a B
resolva o problema.

PROBLEMA Nº 6

18-3-60

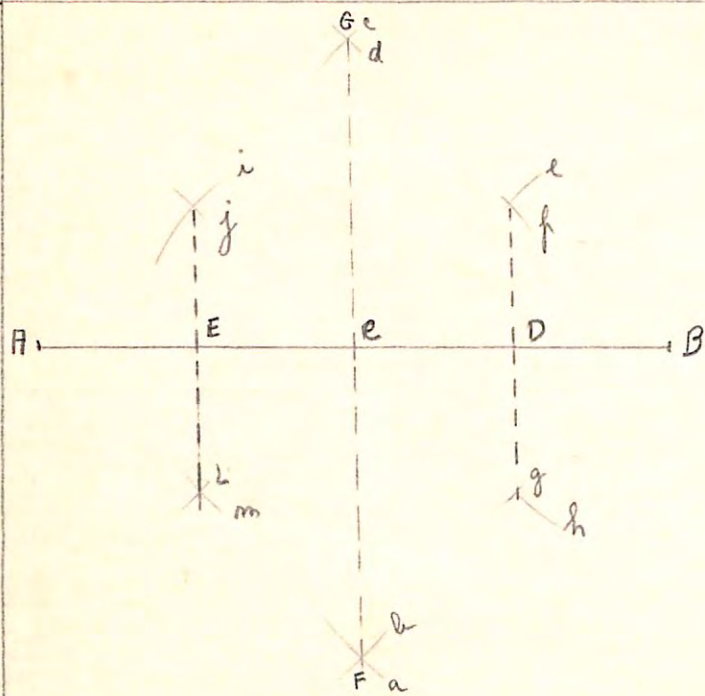


Por um ponto dado traçar uma paralela ao segmento $A.B$.

Com a ponta de compasso em D traça-se o arco de ponto M a C , com a mesma abertura faz-se centro em M e traça o arco $E.D$. Com uma abertura igual a $M.C$ marque-se $E.D$. A reta $F.G$ resolve o problema.

PROBLEMA Nº 7

18-3-60



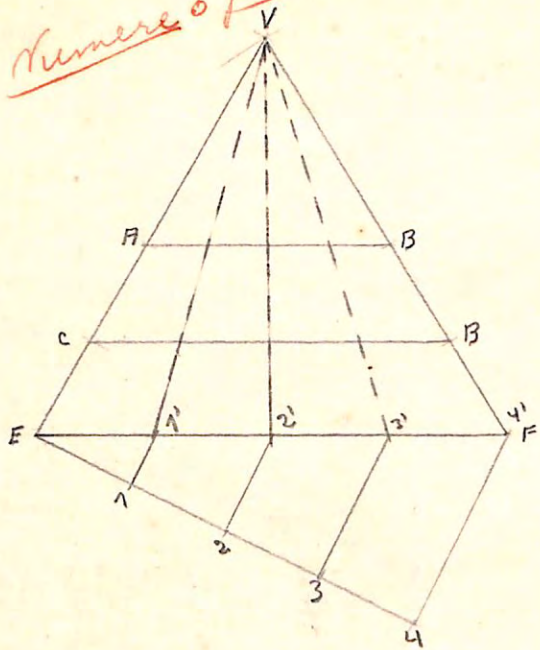
Dividir um segmento em um número de partes iguais. É dado o seg AB .
 Centro em A e traça-se os arcos b, d
 centro em B e traça-se os arcos a, c
 que cortam-se em F e G , baixando a perpendicular GF resolve o problema.

PROBLEMA Nº 8

18-3-60

Numere o problema!

Descrias?



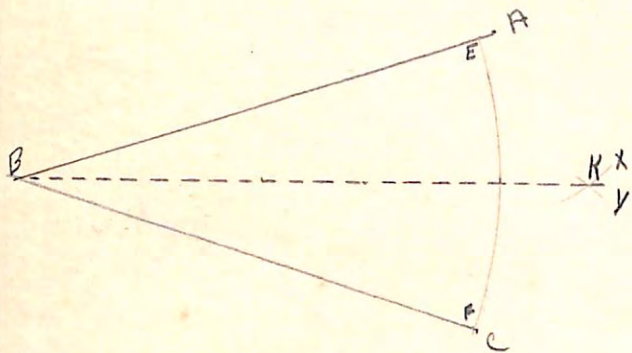
A — 3 cm — B

C — 4,5 cm — D

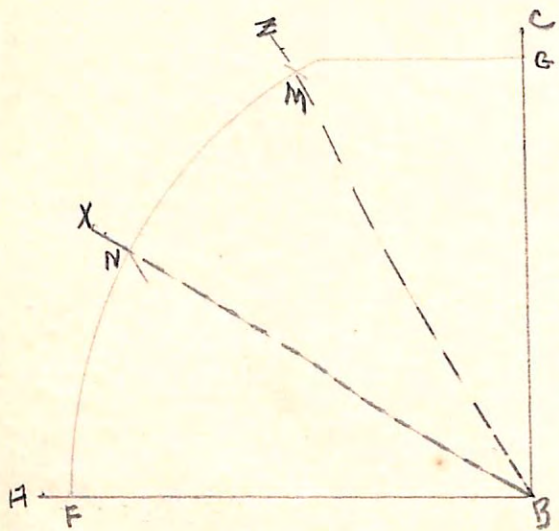
E — 6 cm — F

PROBLEMA NO. 9

WJ

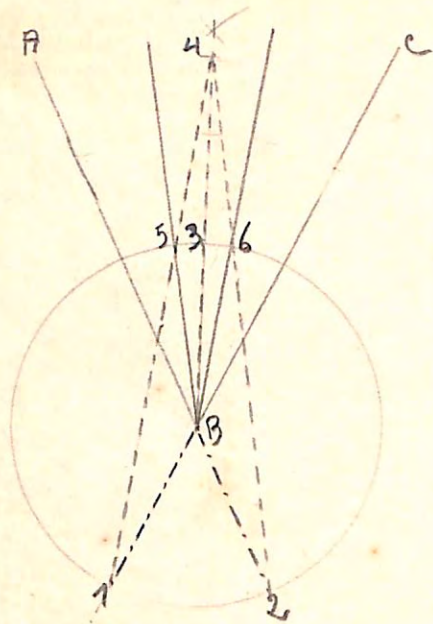


2007 PROBLEMA N° 10

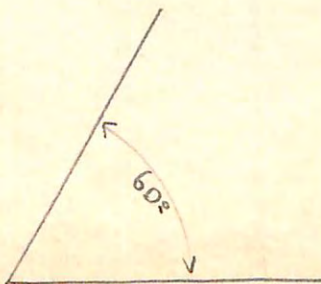
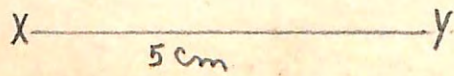
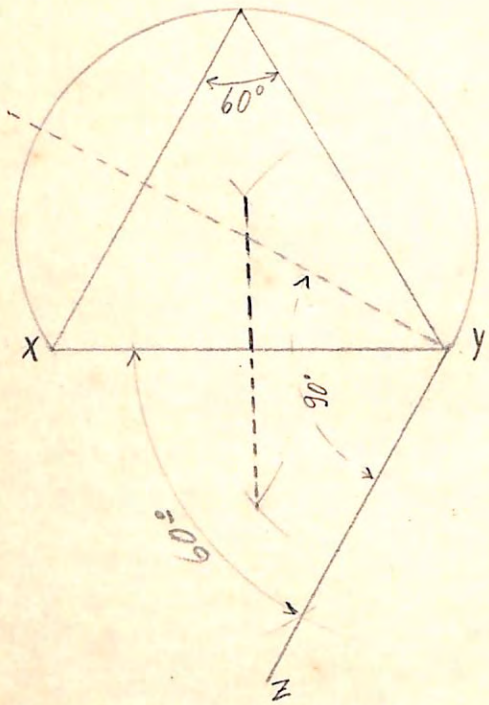


Self

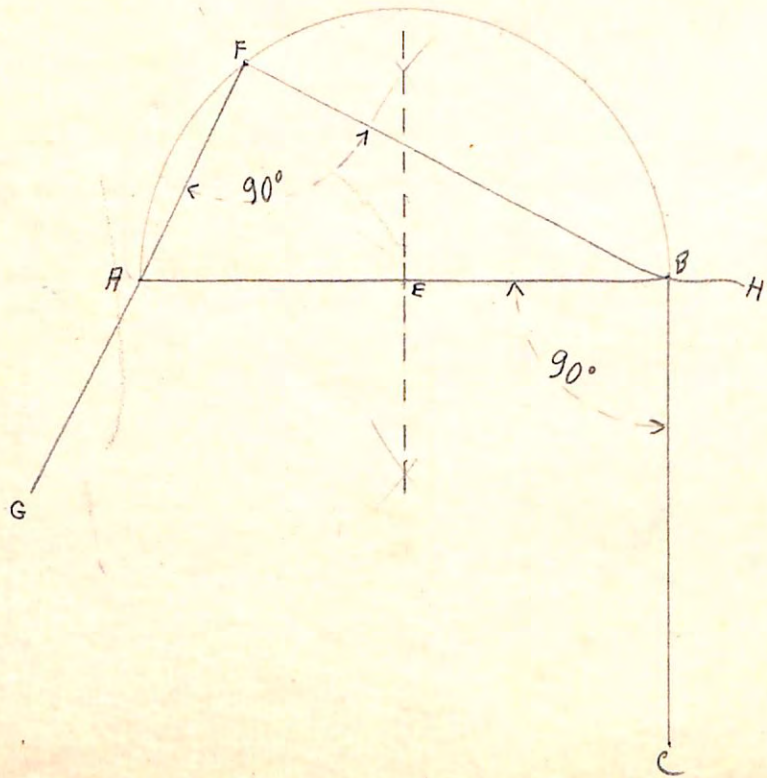
PROBLEMA № 11



Self PROBLEM N° 12

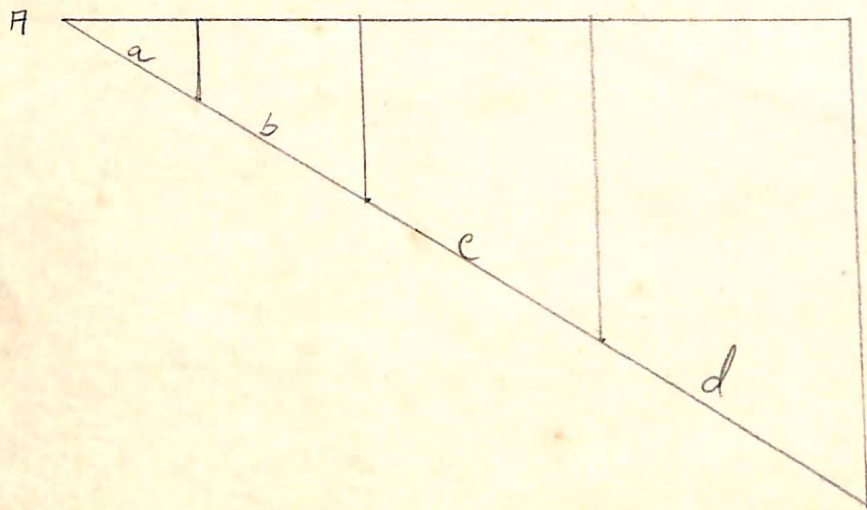


PROBLEM No 13



PROBLEM # No 14

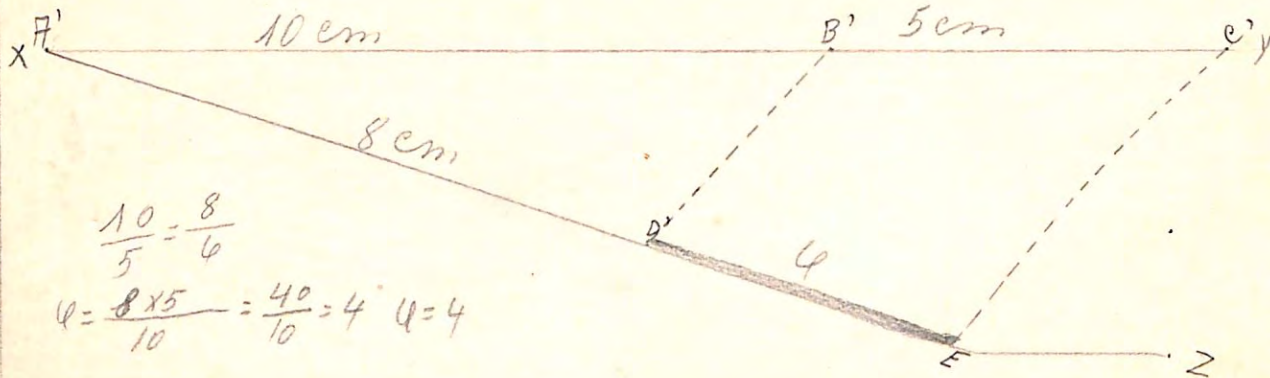
	<u>a</u>	2,0m
	<u>b</u>	2,5m
<u>c</u>		3,5m
<u>d</u>		4,0m



PROBLEMA Nº 15

Dividir um segmento ^{de} em n partes proporcionais

4ª proporcional

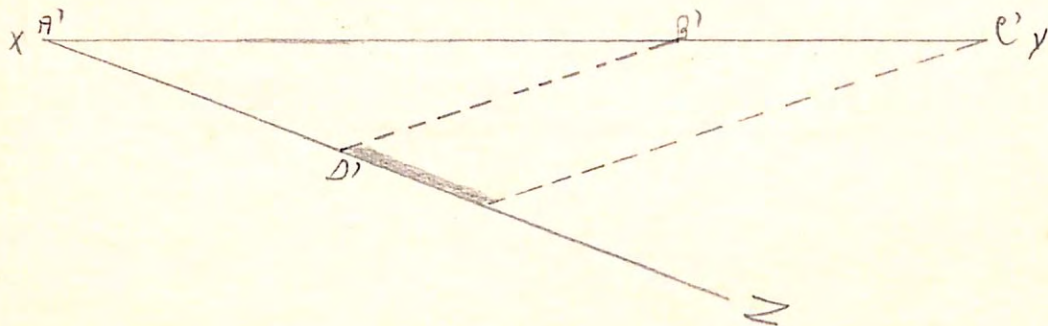


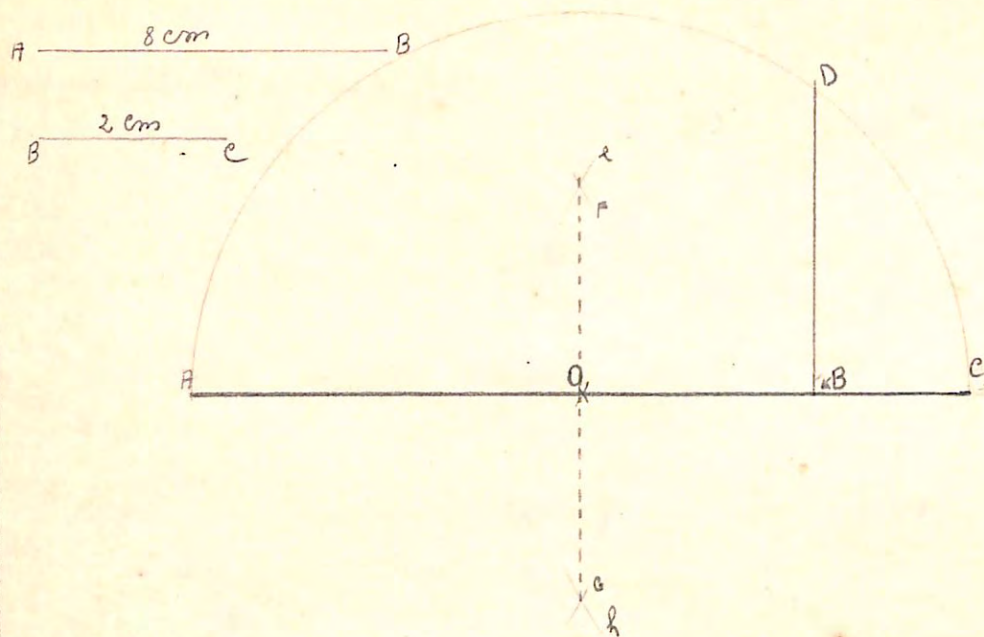
$$\frac{10}{5} = \frac{8}{4}$$

$$4 = \frac{8 \times 5}{10} = \frac{40}{10} = 4 \quad 4 = 4$$

$$\frac{A'B'}{B'C'} = \frac{BC}{\varnothing}$$

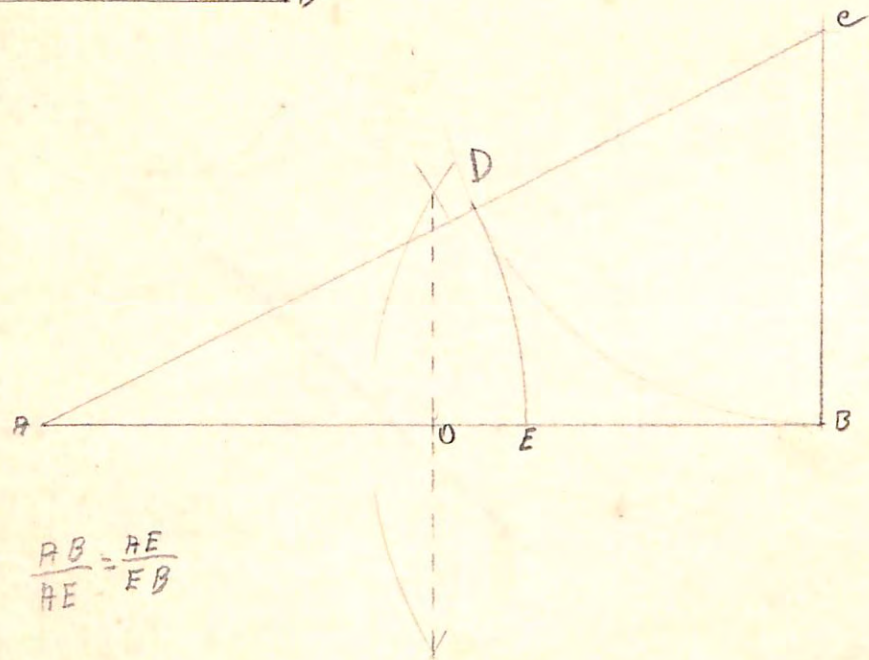
3^a proporcional



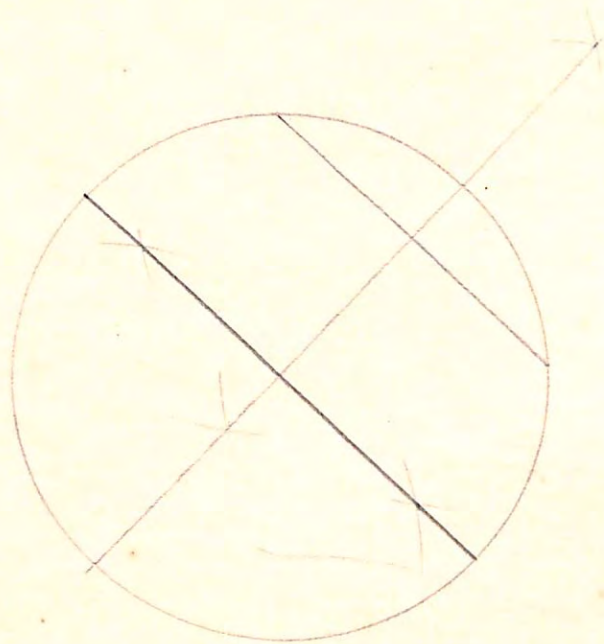


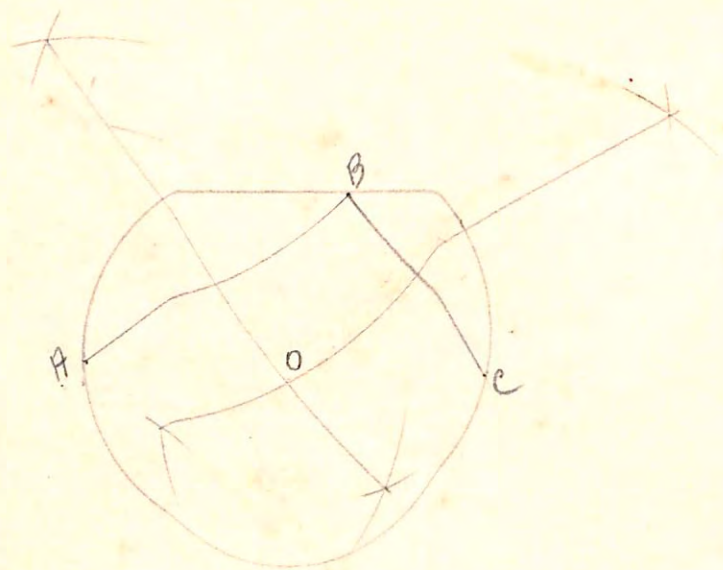
TARÇAR A MEDIA PROPORÇION
a dois SEGMENTOS DADOS.

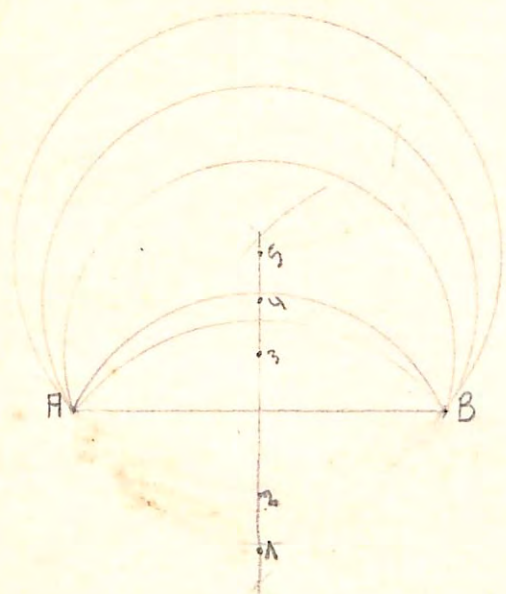
A — 10 Cm — B

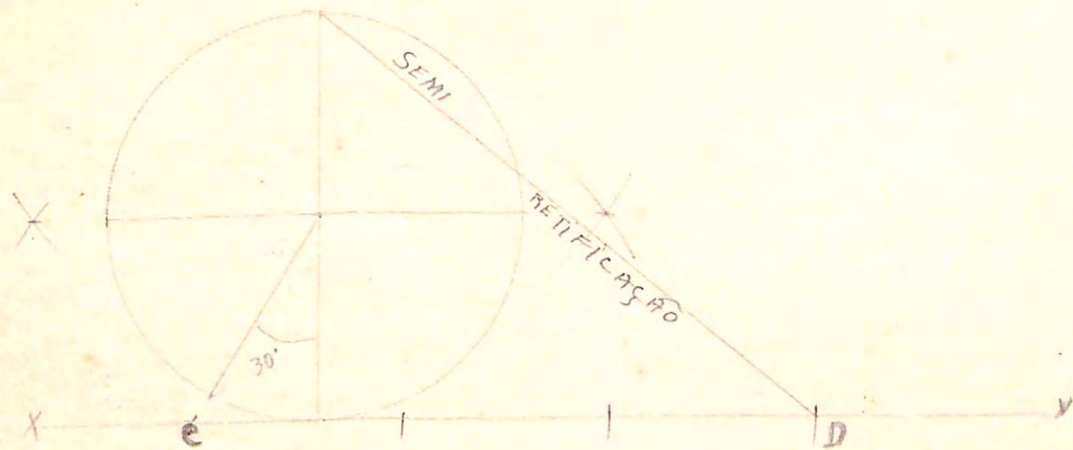


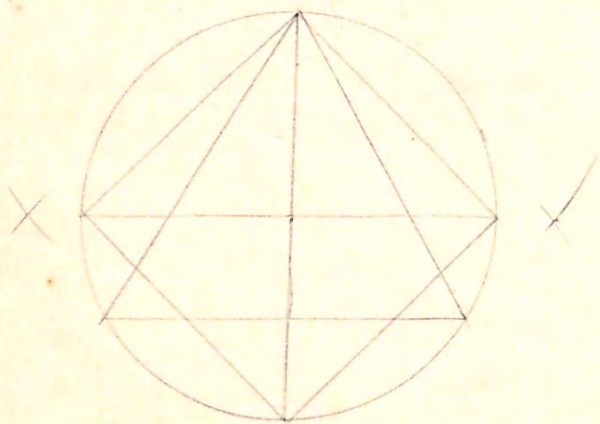
$$\frac{AB}{BE} = \frac{BE}{EB}$$

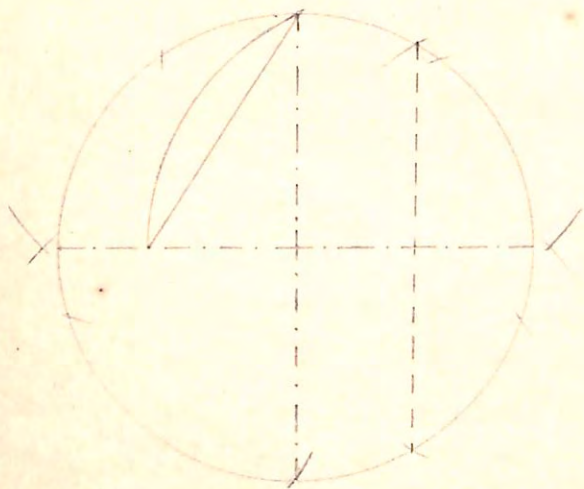


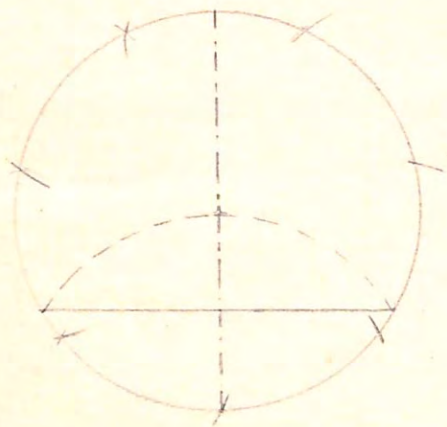


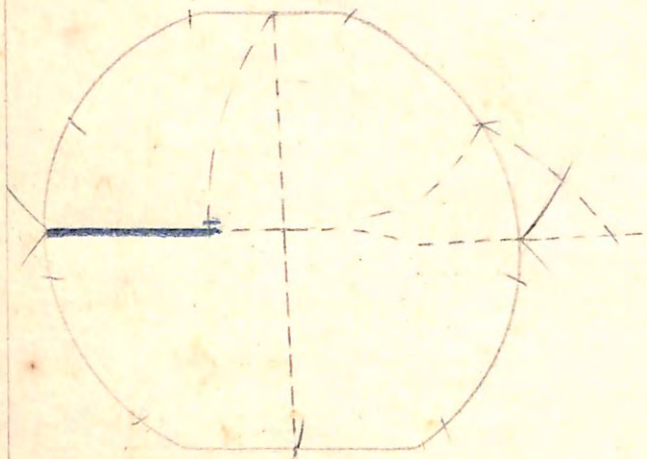


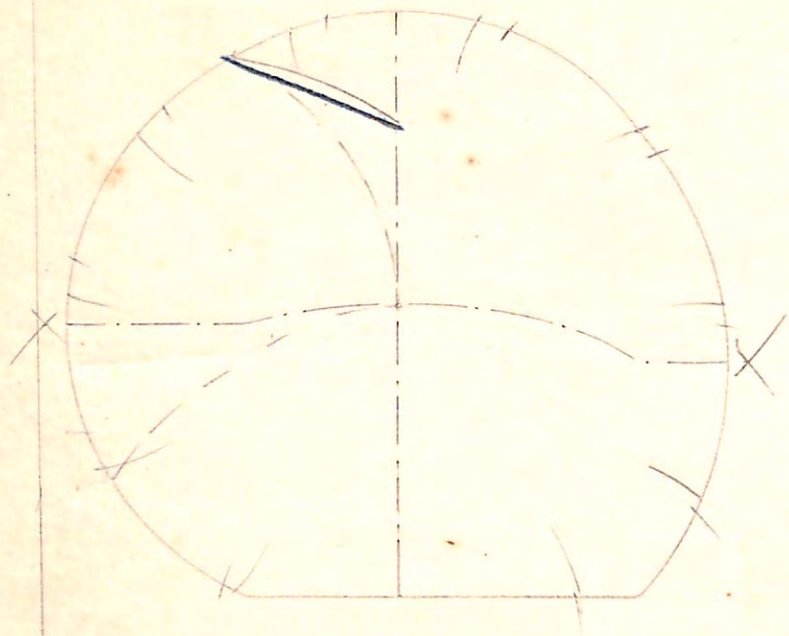


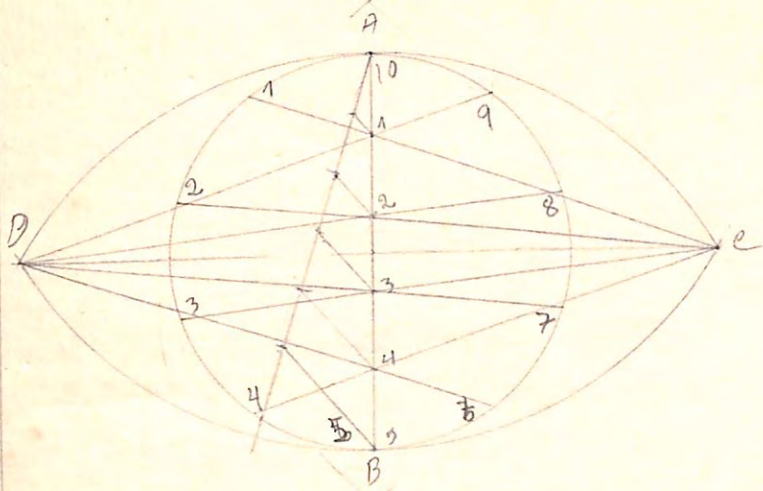




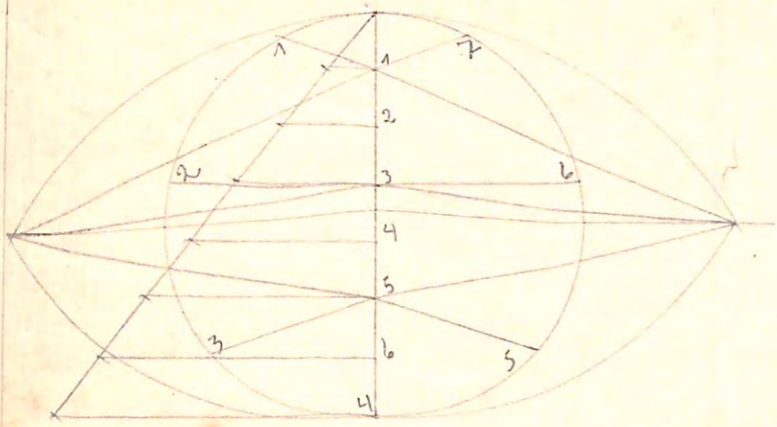


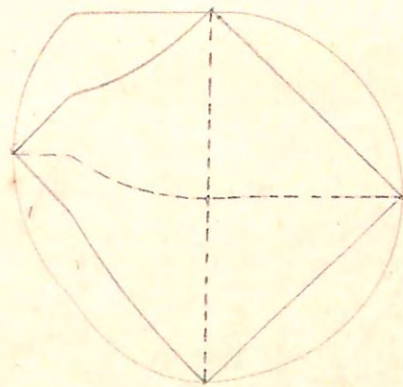
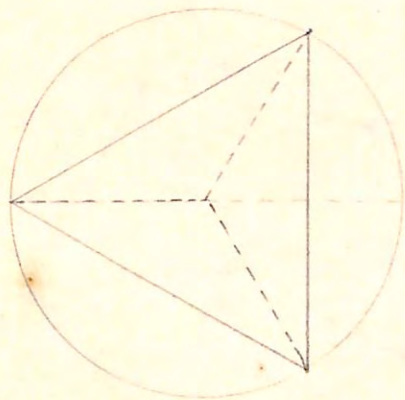




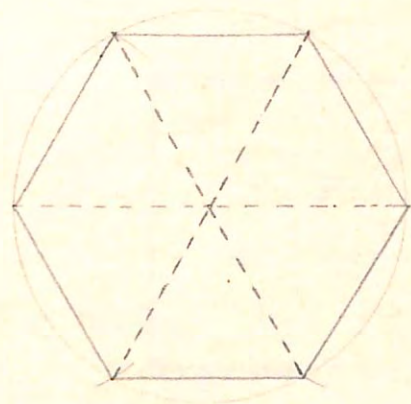
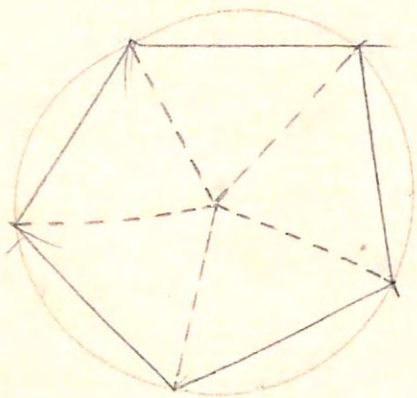


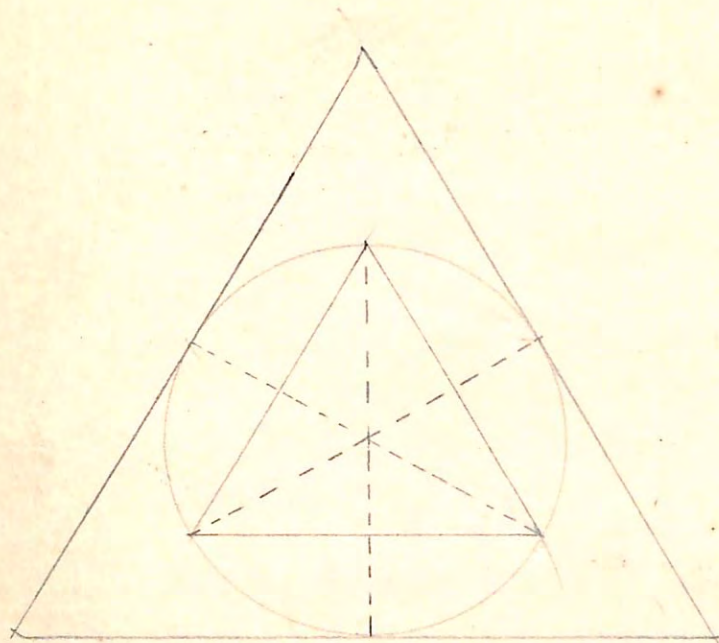
7, 9, 11 etc.



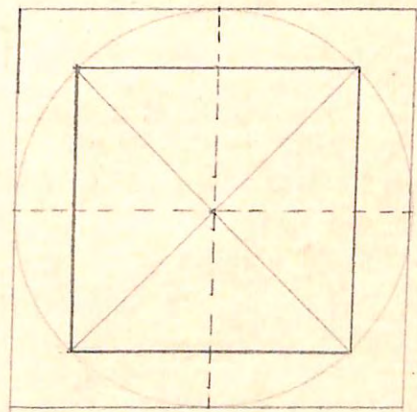


Poligonos Inscritos

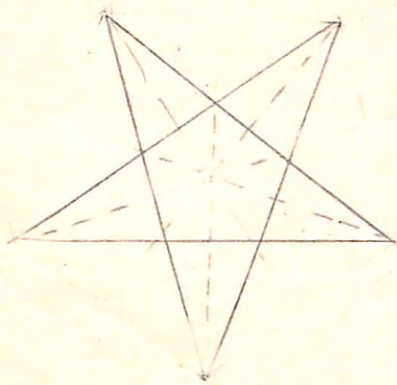


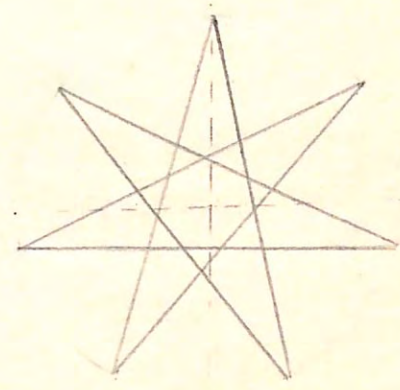
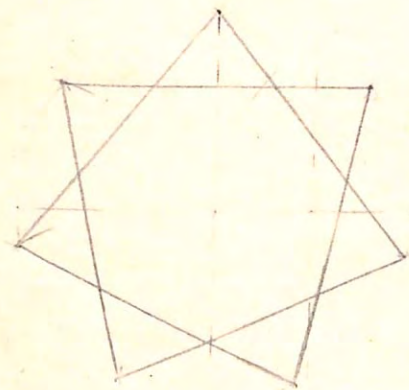


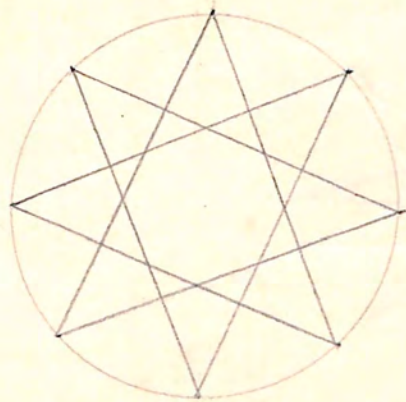
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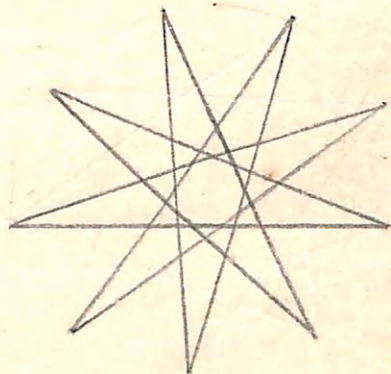
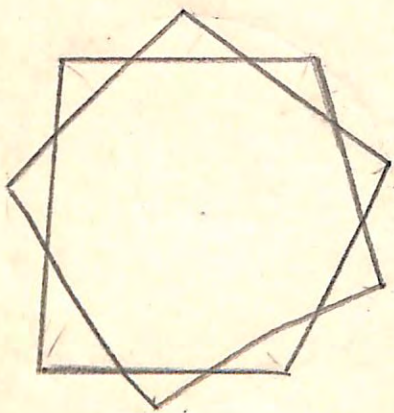


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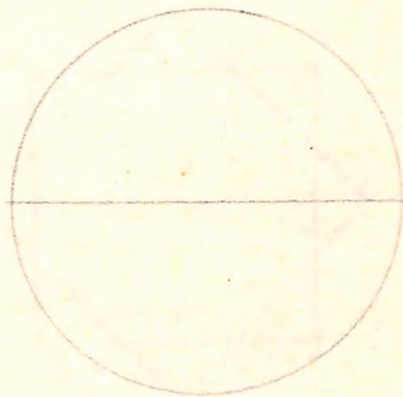
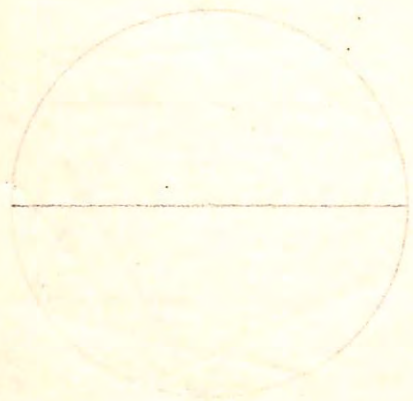




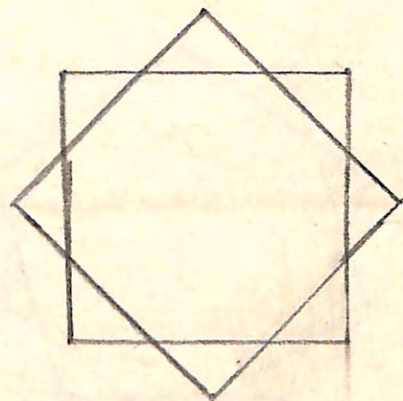
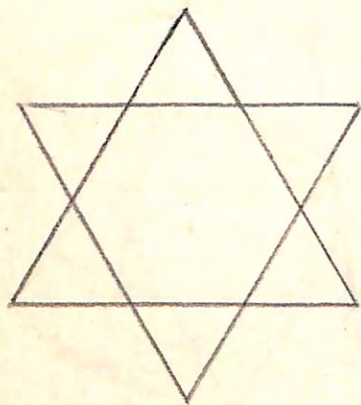
POLIGONO ESTRELADO Com 9 Pontas

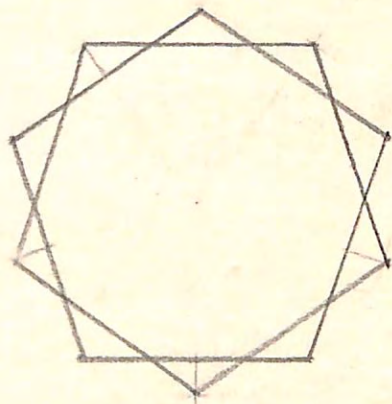
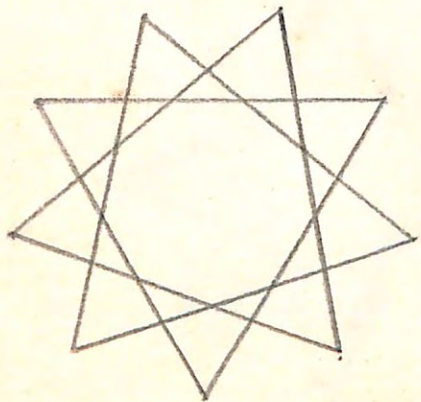
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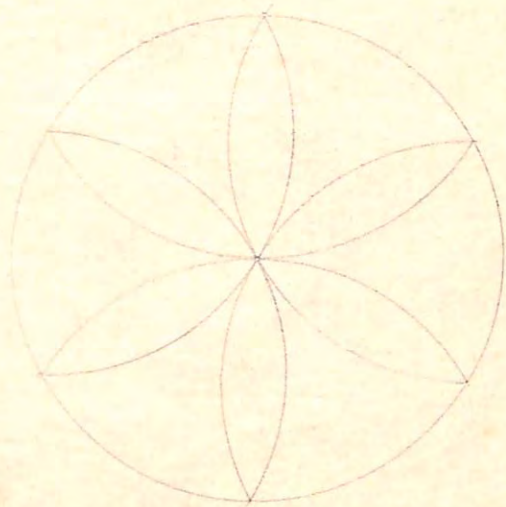
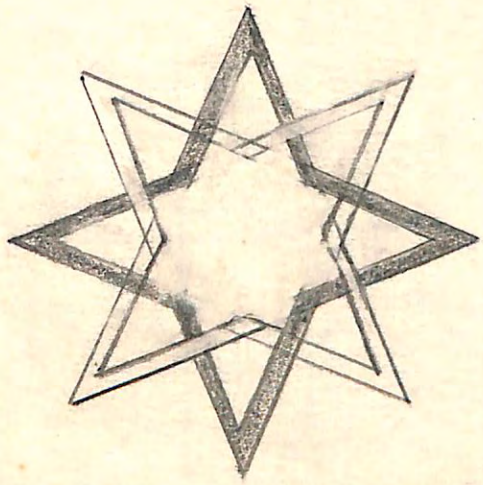
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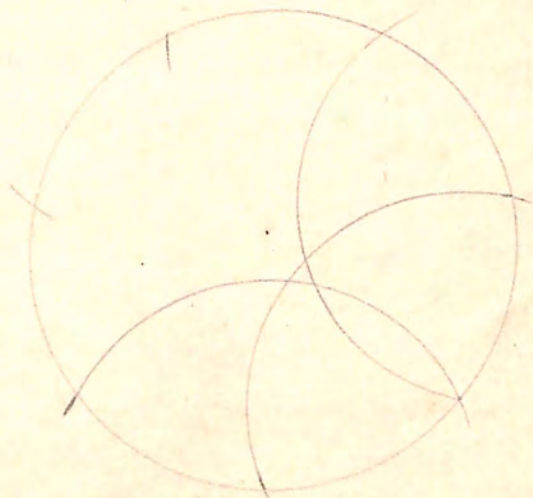
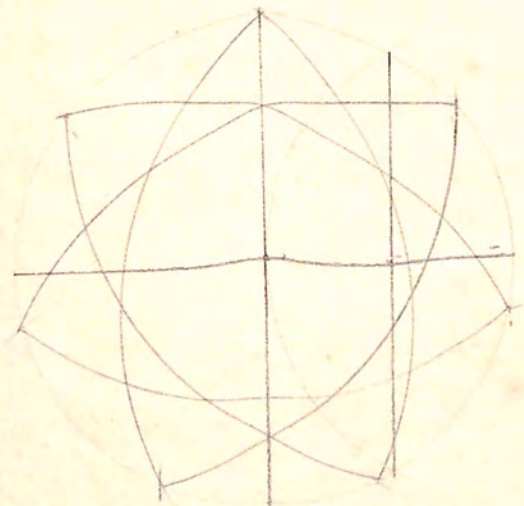


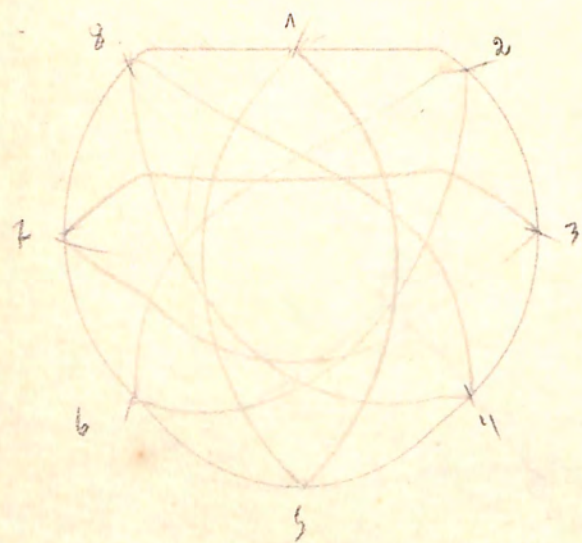
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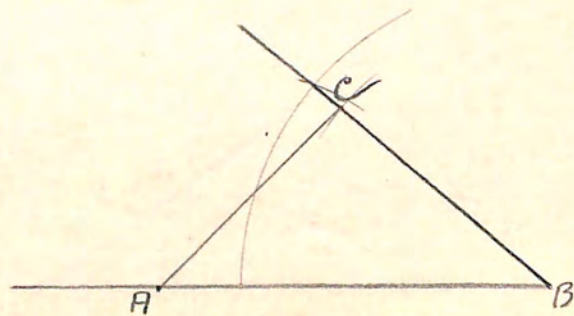
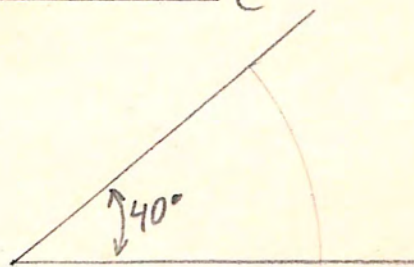
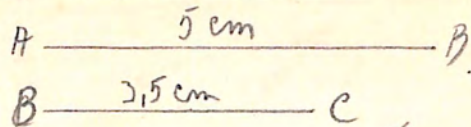
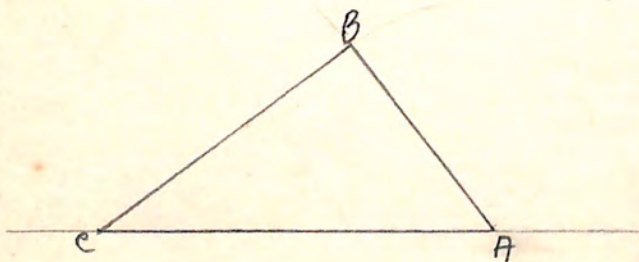
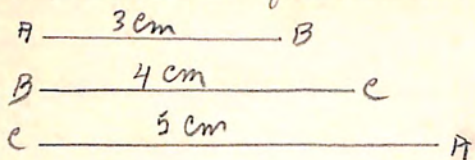






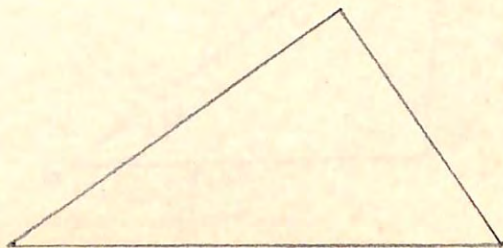
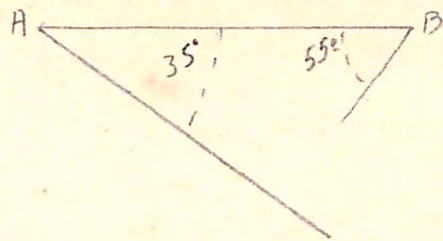
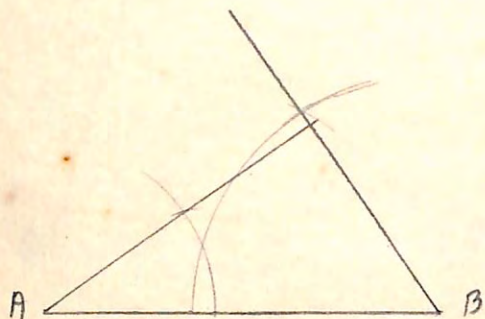
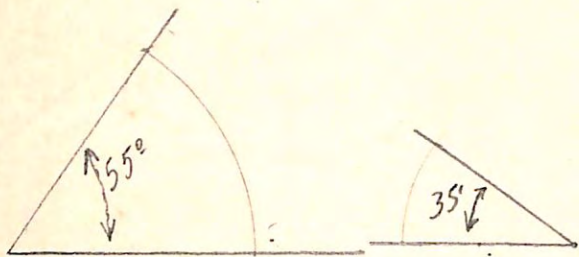


trace um triângulo, dado os três lados. Trace um Δ dados 2 lados e o \sphericalangle comum

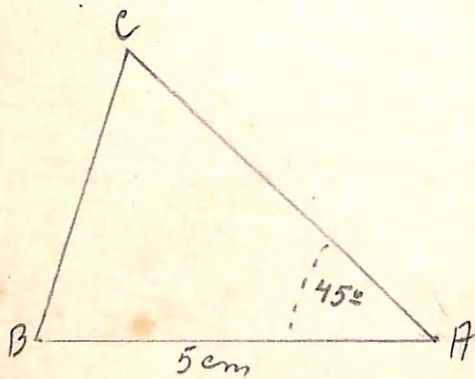
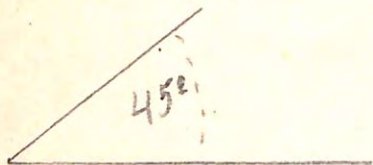
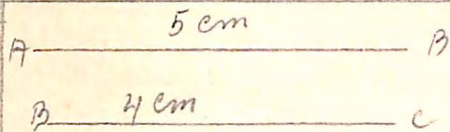


Trace um Δ , dado os dois ângulos
e um lado

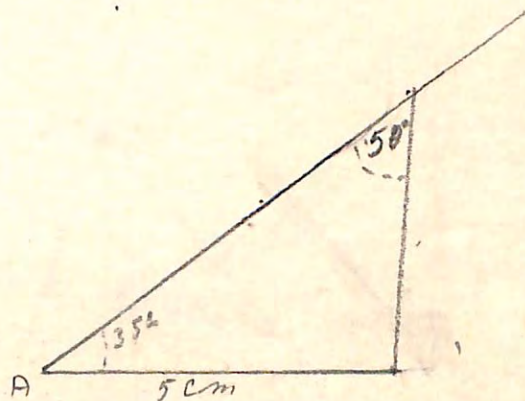
A $\text{---} 5\text{cm} \text{---}$ B



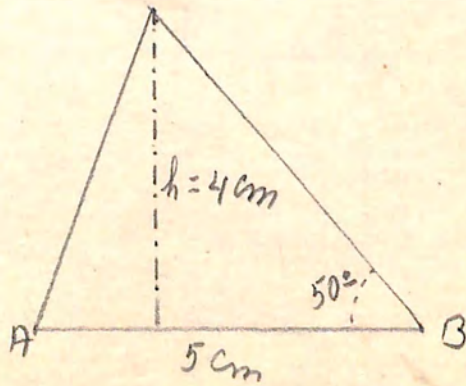
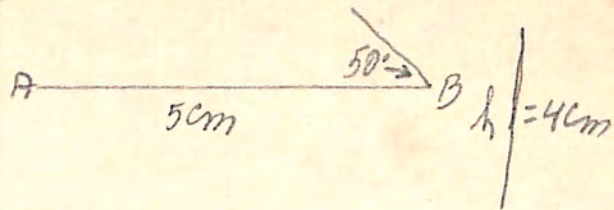
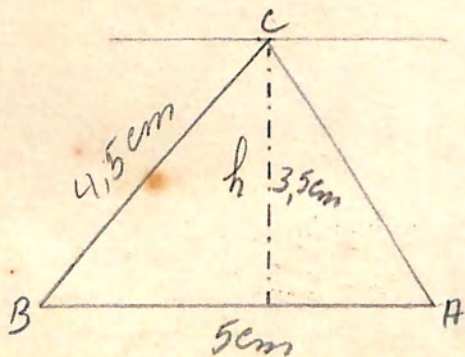
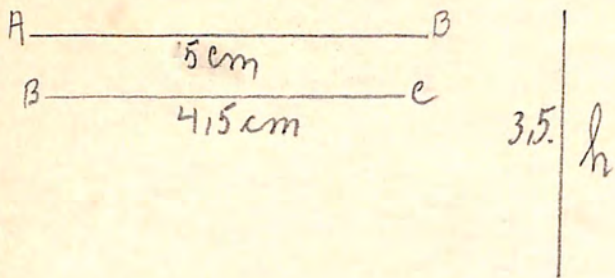
4) Trace \triangle , dados 2 lados $\frac{14}{1}$



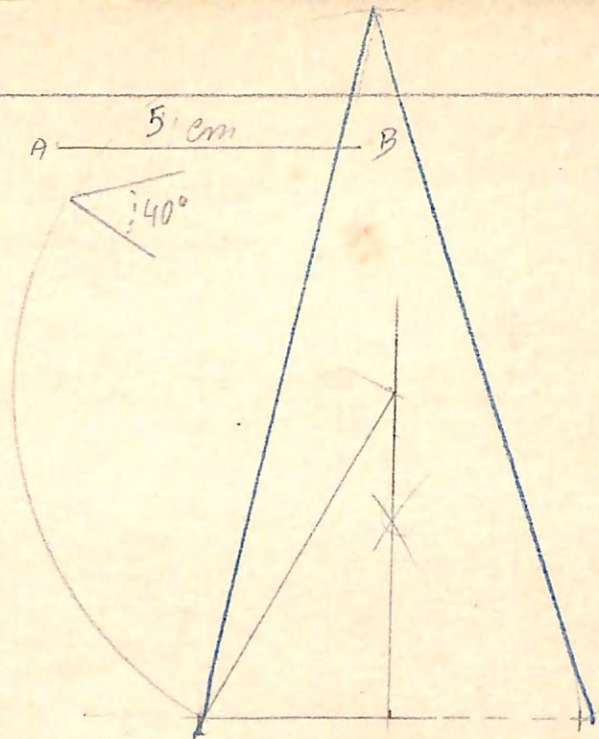
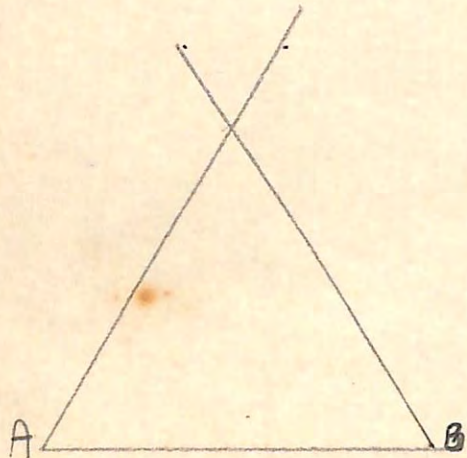
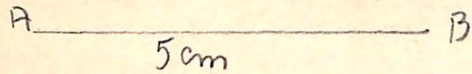
Trace \triangle , dados $2\angle$ e um lado, sendo $1V$ oposto ao lado dado.



6 Trace \triangle dados 2 lados e a altura 7 Trace \triangle , dados: um lado e ^{dos} \angle adjacentes



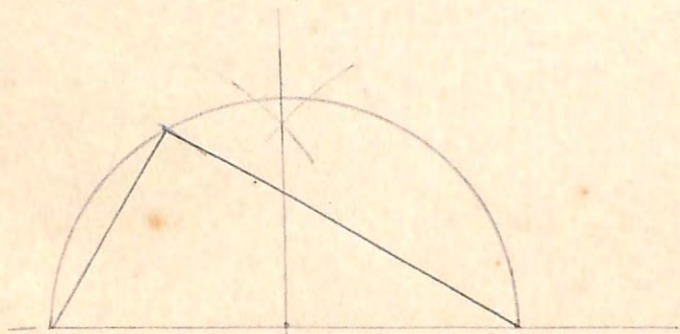
constancia 10 dados 1 lado
e o ângulo oposto



9

construir um triângulo retângulo
escaleno, dados hipotenusa e cateto.

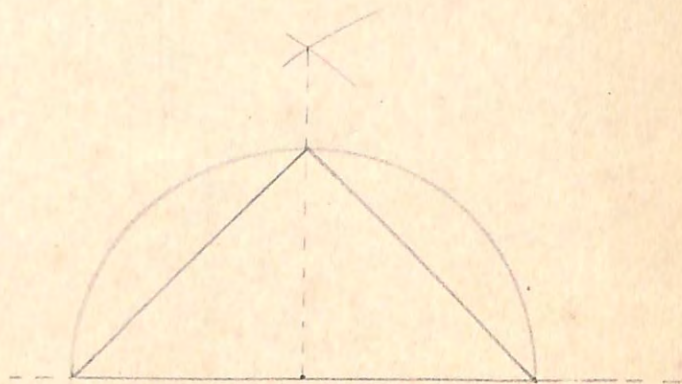
$$\text{hip} = 6 \text{ cm} \quad \text{cat} = 3 \text{ cm}.$$



10

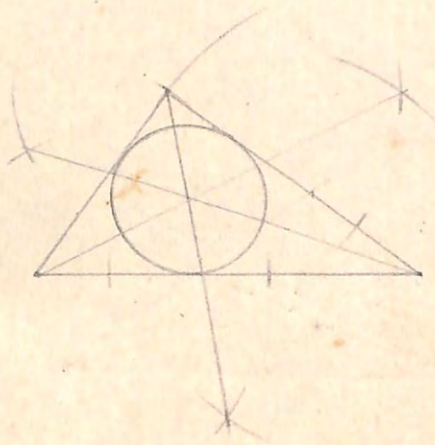
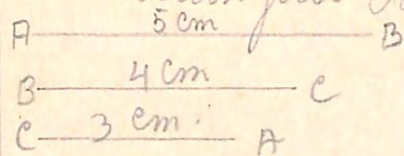
construir um triângulo retângulo
isósceles, dados a hipotenusa

$$\text{hip} = 6 \text{ cm}.$$



11

Inscriver uma circunferência em um triângulo dado:

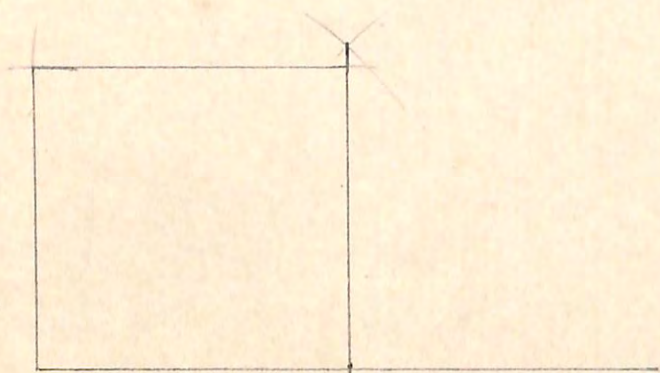
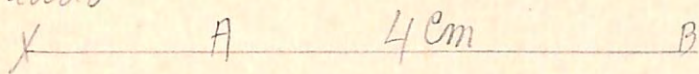


12

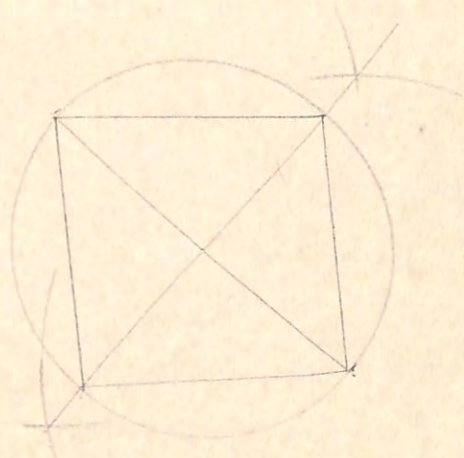
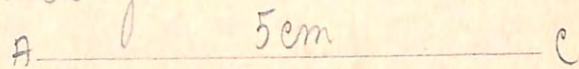
Circunscrever uma circunferência a um triângulo dado.

(traçar as mediatrizes)

Construir um quadrado, dados o lado

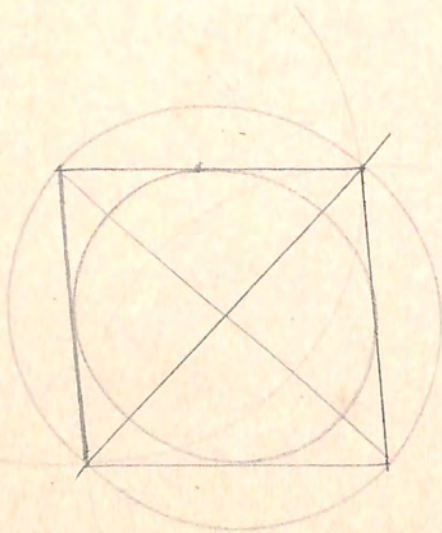


Construir um quadrado dados:
a diagonal

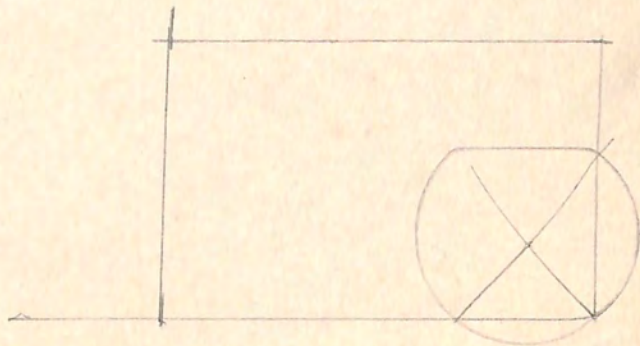


1

Inscriver e circunscrever uma circunferência em um quadrado.



Construir um retângulo: dados os 2 lados.

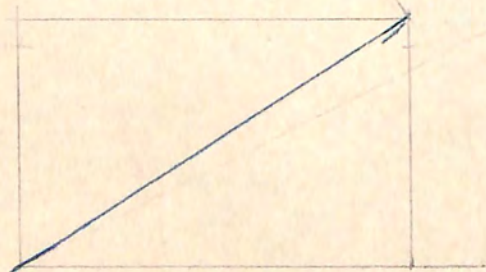


Construir um retângulo. dados.

1 lado e diagonal

lado = 5

diagonal = 6



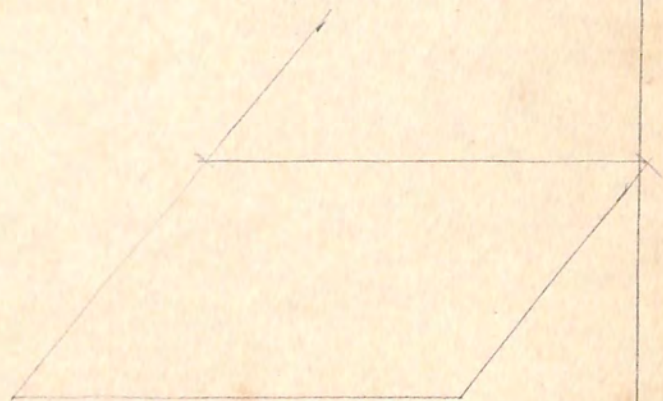
Paralelogramo propriamente dito

1) construir um paralelogramo. dados:

2 lados e o ângulo adjacente

6 cm

4 cm

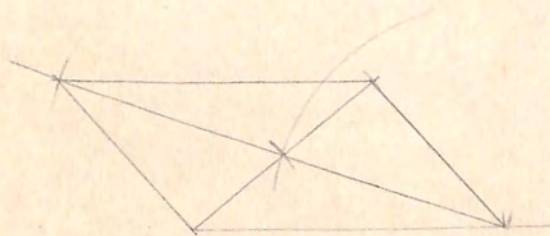


Construir um paralelogramo dados:
1 lado e as 2 diagonais

$$l = \underline{4\text{ cm}}$$

$$D = \underline{6\text{ cm}}$$

$$d = \underline{3\text{ cm}}$$

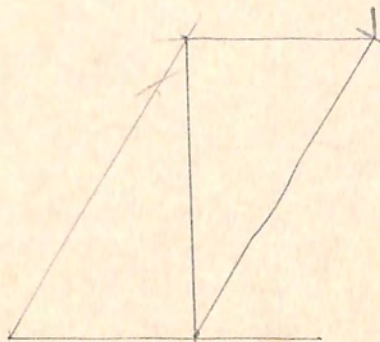


Construir um paralelogramo dados:

$$1\text{ lado} = \underline{2,5\text{ cm}}$$

$$1\text{ ângulo} = \underline{\Delta 60^\circ}$$

$$1\text{ diagonal} = \underline{4\text{ cm}}$$



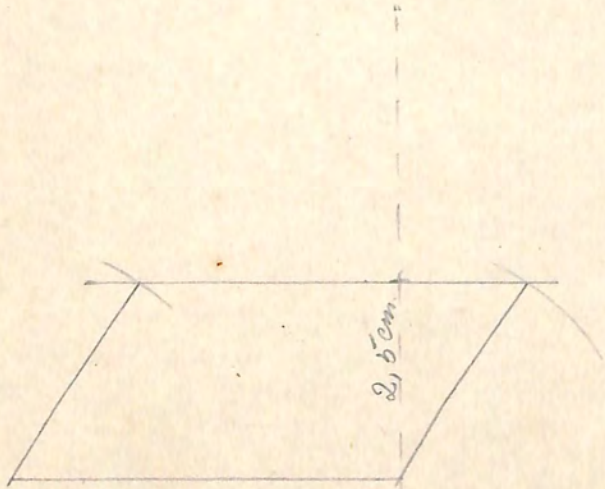
4.

Construir um paralelogramo. dados:

$$L = \underline{5\text{ cm}}$$

$$l = \underline{3\text{ cm}}$$

$$\text{altura} = \underline{2,5\text{ cm}}$$



5.

construir um paralelogramo. dados:

Diagonais e o ângulo por elas formado

$$D = \underline{6\text{ cm}}$$

$$d = \underline{4\text{ cm}}$$

$$\angle 60^\circ$$

